

# Hooks: A Simple and Modular Checkpointing Protocol for Blockchains

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# Summary

- 1 Context
- 2 Formalizing a suitable model
- 3 Provided Properties
- 4 The construction
- 5 Conclusion

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# Finality issues in blockchain

Many issues recognized in the literature:

- Non-instant finality.
- Long-range attacks.
- Posterior corruptions.
- Trusted bootstrap.

# Finality issues in blockchain

- All related and solvable, but requires careful considerations !
- Our proposed solution: A checkpointing layer.
  - Simple and modular.

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# The blockchain model

The standard State Machine Replication-style definition:

## Transaction Ledger (informal)

Nodes propose transactions and they output the final ones.

- Safety : the final transactions are the same for all honest nodes.
- Liveness : proposed transactions eventually becomes final.

# The checkpoint layer properties

- Takes an underlying blockchain  $\mathcal{B}$ .
- $\mathcal{B}$  may have weak Safety properties.
- The checkpoint layer:
  - same structure as a blockchain.
  - provides stronger Safety properties.



# What is a "weak" blockchain?

- What is a weak transaction ledger?
  - *E.g.*, for Bitcoin, the (probabilistic) security bound depends on the network delay.
  - For Proof-of-Stake protocols, past participants may cause Safety issues.
  - More generally, Safety could be broken in unexpected situations.

# What is a "weak" blockchain?

We sidestep the problem and define the weakest Safety property that works.

## TLBS - Time-Limited Block Safety (informal)

$TLBS(h)$  holds iff, honest nodes agrees on the  $L$  blocks from height  $h$  to height  $h + L$ , from the time that the first block is known until the last block is known by all.

# Our assumptions

With input blockchain  $\mathcal{B}$  :

- TLBS *only for Liveness*.
- Sybil-resistance through  $L$ -Chain Quality.
  - Within  $L$  consecutive blocks, there is less than a third of malicious block authors.
- $\mathcal{B}$ 's Liveness.
- The Secure Deletion assumption.
  - Honest nodes can irrevocably delete their state.
- The execution model taken from  $\mathcal{B}$ .

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# Hooks as a checkpointing layer

## Checkpoint Safety

Only a single checkpoint will ever be created for every block height.

## Checkpoint Liveness

Hooks is live as long as *TLBS* holds.

Per-block overhead is  $O(1)$ .

# Safety Improvements

Our Safety property is stronger than the Transaction Ledger Safety.

- Mitigates long-range attacks, *e.g.*, in case of Posterior Corruptions.
  - Online nodes are immune because they have time-related information.
    - Only joining nodes are concerned.
    - The checkpointing proofs are sufficient for nodes to join.
- Free property : Trustless Bootstrap.

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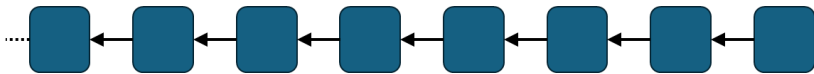
# The birds eye

The algorithm, in short.

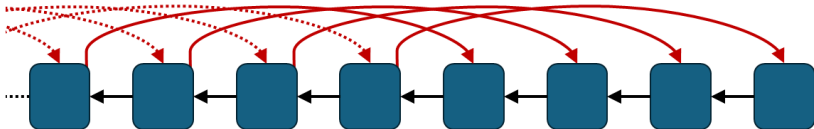
- 1 Block  $b$  author include its public key in  $b$ .
- 2 If  $b$ 's  $L$ -th descendant becomes final, the author signs it.
  - This signature is called a *hook*.
- 3 Submit the hook and delete the key
- 4 A blocks is checkpointed if its  $L$ -depth subtree has  $\frac{2}{3}$ rd of blocks hooked.
  - The hooks set is a checkpoint proof !



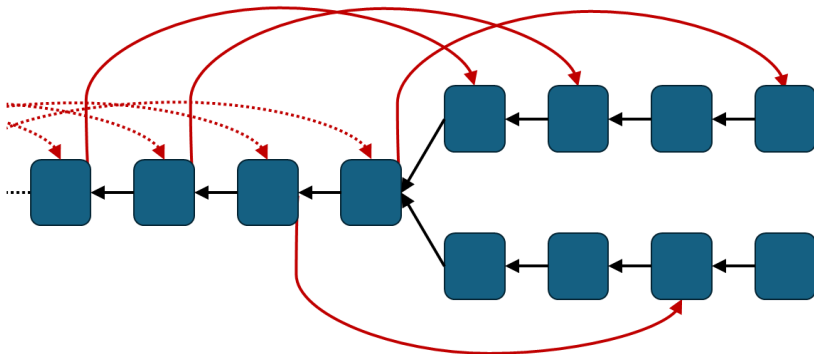
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# The formal arguments

- When there is a fork at height  $h$ , there are  $L$  common block authors to vote on branches
- By quorum intersection, there is *at most* one branch checkpointed.
  - Any two sets of  $\frac{2}{3}L$  hooks intersects at at least one *honest* node.
  - Honest nodes will never send two hooks.
- If  $TLBS(h)$  does not holds, it might be none !

# Some additional details

- *Ignore* non-checkpointed branches.
- Wait until your own block is checkpointed before sending a hook.

# A weaker alternative version

With  $\frac{2}{3}$  honesty in Chain Quality, Hooks cannot be applied to honest majority blockchains.

- $\frac{1}{2}$  honesty also works, but we have weaker Safety.
- The algorithm must be modified to track *equivocating* hooks.
- Equivocating hooks may cause checkpoints to be (eventually) invalidated.

## Weak Safety (informal)

If *TLBS* does not hold at some height, then there may be multiple checkpointed branches. In this case, eventually none of them will be checkpointed.

# Some possible improvements

- Hooks can be aggregated into a single signature for short checkpoint proofs.
- Avoid storing the node public key with key-evolving signatures.
- Make the analysis in the Universal Composability framework.

# Conclusion

In short, we take a weak blockchain, and,

- Prevent many safety issues when possible (*e.g.*, asynchrony, posterior corruption)
- Otherwise will only break Liveness.
- Offers trustless bootstrap/long-range attack resistance.
- Keep performance unaffected (experimentally confirmed).
- And possibly more (*e.g.* Quantum Resistance).



# The end

# Thank you for your attention

$$\begin{aligned} TLBS(h) &:= \text{Let } t_1 := \min\{t' \mid \exists i \in \mathcal{H}, \mathcal{F}_i^{t'} . h = h\} \\ &\quad \text{Let } t_2 := \min\{t' \mid \forall i \in \mathcal{H}, \mathcal{F}_i^{t'} . h = h + l\} \\ &\quad \forall h' \in [h, h + l], \\ &\quad \# \bigcup_{\substack{t \in [t_1, t_2] \\ i \in \mathcal{H}}} \{\mathcal{F}_i^t[h]\} \leq 1 \end{aligned}$$

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